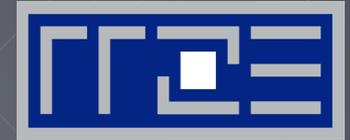


ERLANGEN REGIONAL COMPUTING CENTER



<http://goo.gl/Hwx6Nw>

Node-Level Performance Engineering

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University of Erlangen-Nuremberg

Two-day short course
Jülich Supercomputing Centre
2016-04-28/29



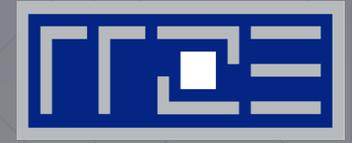


Day 1	
Computer architecture	
Tools: topology & affinity	
Microbenchmarking for architectural exploration	
Demo 1	
Roofline model: basics	
Tools: hardware performance counters	
Roofline case study: dense matrix-vector multiplication	
Day 2	
Roofline case study: sparse matrix-vector multiplication	
Roofline case study: Jacobi smoother	
Demo 2	
Optimal use of parallel resources: SIMD, ccNUMA, SMT	
ECM Model and/or energy-efficient code execution	
Demo 3	
Optional: Lattice-Boltzmann / SpMVM on heterogeneous systems	
Optional: Pattern-based performance engineering	

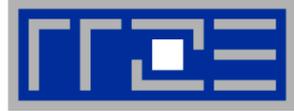
- 1 cycle = smallest unit of time on a CPU (“heartbeat”)
 - Clock speed of typical CPU: 3.0 Gcy/s (or GHz)
- Basic unit of work: Floating-point operation (Flop)
 - Typical peak performance of 8-core CPU: $P_{\text{peak}} = 192 \text{ Gflop/s}$
 - How many Flops per cycle per core is that? $\frac{192 \cdot 10^9 \frac{\text{Flops}}{\text{s}}}{8 \text{ cores} \cdot 3.0 \cdot 10^9 \frac{\text{cy}}{\text{s}}} = 8 \frac{\text{Flops}}{\text{cy} \cdot \text{core}}$
 - Typical duration of a double precision multiply: 5 cycles
 - › How much time is that? $\frac{5 \text{ cy}}{3.0 \cdot 10^9 \frac{\text{cy}}{\text{s}}} = 1.67 \cdot 10^{-9} \text{ s} = 1.67 \text{ ns}$
- Basic unit of traffic: Byte
- Unit of bandwidth: Bytes/s
 - Typical memory bandwidth: 48 Gbytes/s = $4.8 \cdot 10^{10} \text{ Bytes/s}$
 - How many bytes per cycle is that? $\frac{48 \cdot 10^9 \frac{\text{Bytes}}{\text{s}}}{3.0 \cdot 10^9 \frac{\text{cy}}{\text{s}}} = 16 \frac{\text{Bytes}}{\text{cy}}$



PRELUDE: SCALABILITY 4 THE WIN!



How to ask the right questions



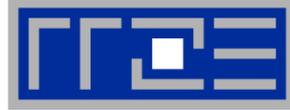
From a student seminar on “Efficient programming of modern multi- and manycore processors”

Student: I have implemented this algorithm on the GPGPU, and it solves a system with 26546 unknowns in 0.12 seconds, so it is really fast.

Me: What makes you think that 0.12 seconds is fast?

Student: It is fast because my baseline C++ code on the CPU is about 20 times slower.

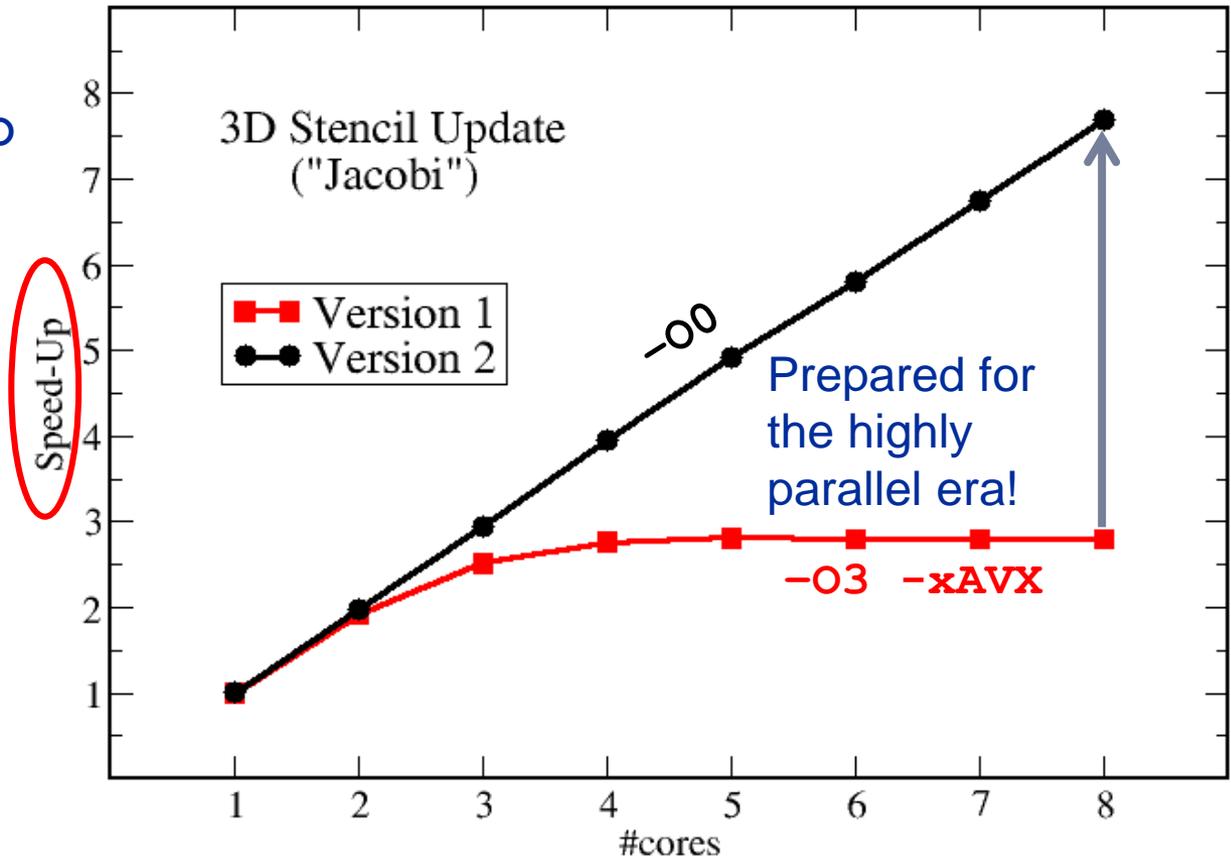
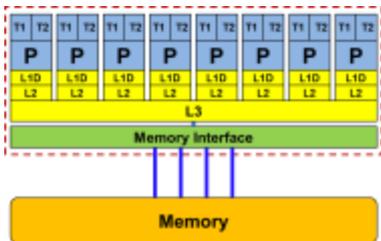
Scalability Myth: Code scalability is the key issue



```

!$OMP PARALLEL DO
do k = 1 , Nk
  do j = 1 , Nj; do i = 1 , Ni
    y(i,j,k) = b*( x(i-1,j,k)+ x(i+1,j,k)+ x(i,j-1,k)+
                   x(i,j+1,k)+ x(i,j,k-1)+ x(i,j,k+1))
  enddo; enddo
enddo
!$OMP END PARALLEL DO
    
```

Changing only a the compile options makes this code scalable on an 8-core chip



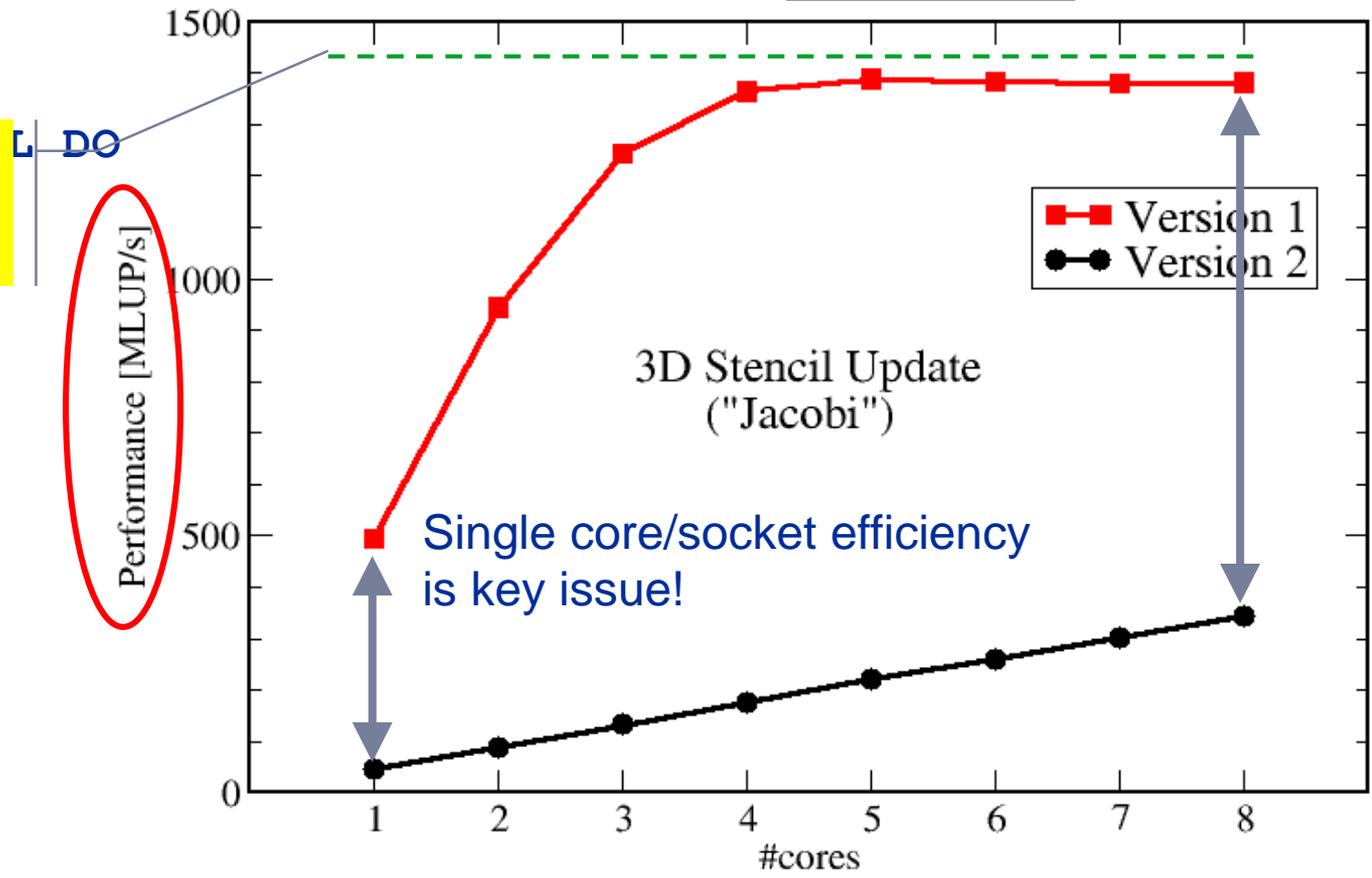
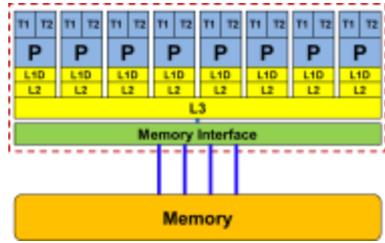
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  enddo; enddo
enddo
    
```

Upper limit from simple performance model:
35 GB/s & 24 Byte/update



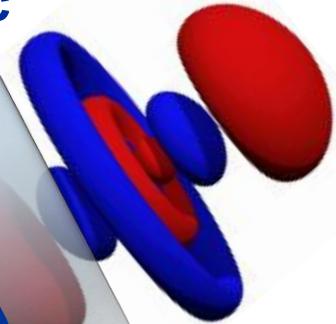
Newtonian mechanics



$$\vec{F} = m\vec{a}$$

Fails @ small scales!

Nonrelativistic quantum mechanics



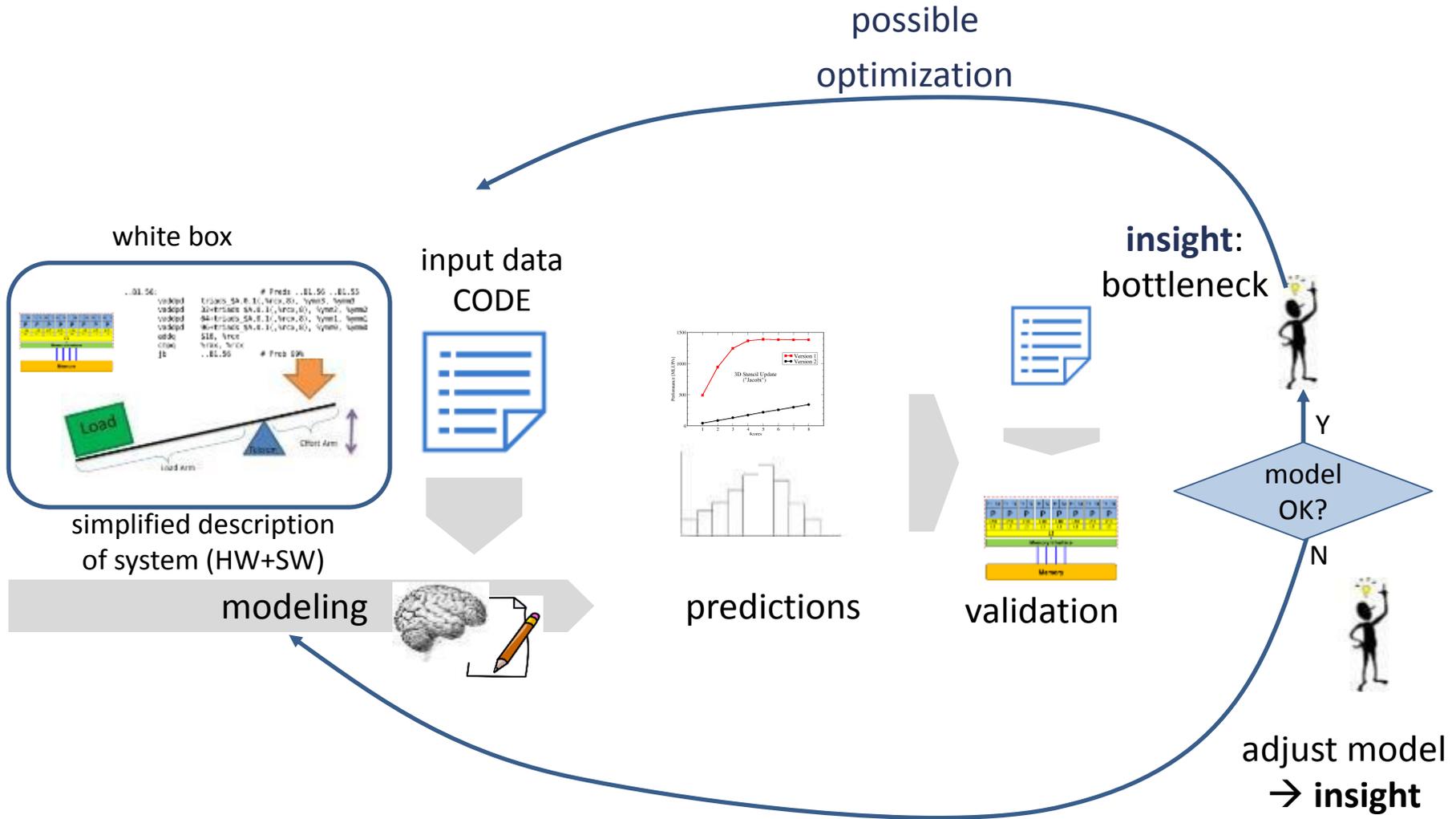
$$i\hbar \frac{\partial}{\partial t} \psi(\vec{r}, t) = H\psi(\vec{r}, t)$$

Fails @ even smaller scales!



Relativistic quantum field theory

$$U(1)_Y \otimes SU(2)_L \otimes SU(3)_c$$





- **Do I understand the performance behavior of my code?**
 - Does the performance **match a model** I have made?
- **What is the optimal performance for my code on a given machine?**
 - **High Performance Computing == Computing at the bottleneck**
- **Can I change my code so that the “optimal performance” gets higher?**
 - Circumventing/ameliorating the impact of the bottleneck
- **My model does not work – what’s wrong?**
 - This is the good case, because **you learn something**
 - Performance monitoring / microbenchmarking may help clear up the situation
- **Use your brain!** Tools may help, but you do the thinking.